

Performance Prediction of Conservative Parallel Discrete Event Simulation

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The Aim of our Work

- Parallel Discrete Event Simulation is done to achieve speed-up compared to sequential simulation
- PDES is not an easy task
- Before investing work in parallelisation, one would like to predict if it worth doing so
- We need a method to determine whether a simulation model has a potential for good speed-up

The Topics Covered

- PDES synchronisation methods
- The method for assessing available parallelism in a model
- Hardware software and environment
- Simulation model for testing the method
- Results
- Conclusions

Parallel Discrete Event Simulation

- Parallelisation of DES
 - the simulated system is divided into partitions
 - the partitions are assigned to processors
 - the processors execute the partitions **maintaining causality** (synchronization method)
 - the achievable speed-up depends on the method used for inter-processor synchronization
- Synchronization Methods for PDES
 - **Conservative (Null Message Algorithm)**
 - Optimistic (Time Warp)
 - Statistical Synchronization

The Method for Assessing Available Parallelism in a Model

- The method was proposed in Varga, A., Y. A. Sekercioglu and G. K. Egan. 2003. "A practical efficiency criterion for the null message algorithm". *Proceedings of the European Simulation Symposium (ESS 2003)*, (Oct. 26-29, 2003, Delft, The Netherlands.) SCS International, 81-92.
Will be referred as: (Varga et. al. 2003)
- Our aim is to test it for higher number of CPUs
- The method uses quantities that can be easily measured on sequential simulations

The Method for Assessing Available Parallelism in a Model (Parameter #1)

- *P performance* represents the number of events processed per second (*ev/sec*).
- *P* depends on the performance of the hardware and the amount of computation required for processing an event.
- *P* is independent of the size of the model.

The Method for Assessing Available Parallelism in a Model (Parameter #2)

- *E event density* is the number of events that occur per simulated second (*ev/simsec*).
- *E* depends on the model only, and not on the hardware and software environment used to execute the model.
- *E* is determined by the size, the detail level and also the nature of the simulated system.

The Method for Assessing Available Parallelism in a Model (Parameter #3)

- ***R relative speed*** measures the simulation time advancement per second (*simsec/sec*).
- $R = P/E$.

The Method for Assessing Available Parallelism in a Model (Parameter #4)

- *L lookahead* is measured in simulated seconds (*simsec*).
- When simulating telecommunication networks and using link delays as lookahead, *L* is typically in the *microsimsec–millisimsec* range.

The Method for Assessing Available Parallelism in a Model (Parameter #5)

- τ *latency* (sec) is the latency of sending a message from one Logical Process (LP) to another.
- τ is usually in the μs -ms range, and is largely determined by the hardware and software on which the simulation runs.

The Method for Assessing Available Parallelism in a Model (Parameter #6)

- λ *coupling factor* can be calculated as the ratio of LE and τP :

$$\lambda = \frac{L \cdot E}{\tau \cdot P}$$

- The paper (Varga et. al. 2003) states that the chance of the good speed-up of the PDES using the conservative synchronisation method can be predicted on the basis of the magnitude of λ .

Hardware Environment

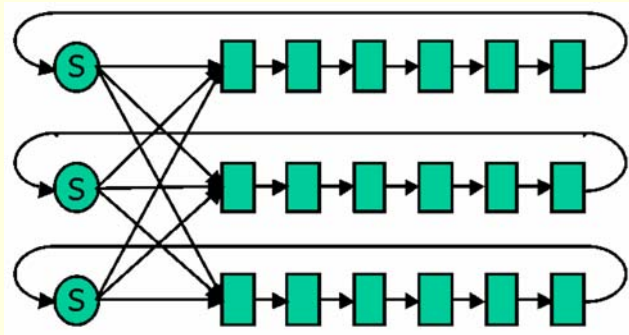
- A cluster of 12 PCs with
 - *AMD Athlon 64 X2 Dual Core 4200+* CPU
 - *2*1GB DDR2 667MHz* (dual channel) RAM
 - *NVIDIA nForce® 500 SLI™ MCP*
 - *built-in Gigabit Ethernet NIC*
- *3Com 2948-SFP* Gigabit Ethernet switch
communication latency (L) about $25\mu s$
- *SUN Fire X4200 M2* NFS server for home directories

Software Environment

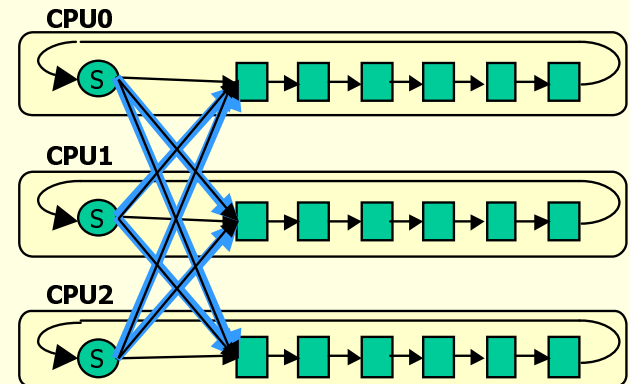
- Debian Squeeze GNU/Linux host OS
- Private IP address space
- LAM/MPI 7.2.1 cluster software
- OMNeT++ 4.0p1 simulation environment

Simulation Model

- Parallel Closed Queueing Network simulation sample program of OMNeT++



$M=3$ Tandem Queues
with $k=6$ Single Server Queues
in Each Tandem Queue



Partitioning the CQN Model

Simulation Model Parameters

- $M=24$ tandem queues
- $k=50$ queues in each tandem queue
- exponential service time of the queues with expected value of 10 seconds
- Parameters tuned:
 - N – number of logical processes
 - L – delay between the tandem queues
- All the other parameters were left unchanged.

Estimation for the λ Parameter

- The parameters for the calculation of λ were measured in the sequential simulation for $L=100\text{ms}$, and we got:

$$\lambda = \frac{L \cdot E}{\tau \cdot P} = \frac{100 \cdot 156}{25 \cdot 10^{-6} \cdot 250000} \approx 2500$$

- The value of λ decreases with the number of LPs. If we use N number of LPs, then:

$$\lambda_N = \frac{\lambda}{N}$$

Vacationing Jobs

- As L increases, a higher proportion of the jobs will be "buffered" in the long-delay links among the tandems, that is, they are effectively removed from the queueing inside the tandems.

The influence of the Vacationing Jobs on λ

- The Values of λ in the Function of L
(measured vs. calculated from the initial estimation)

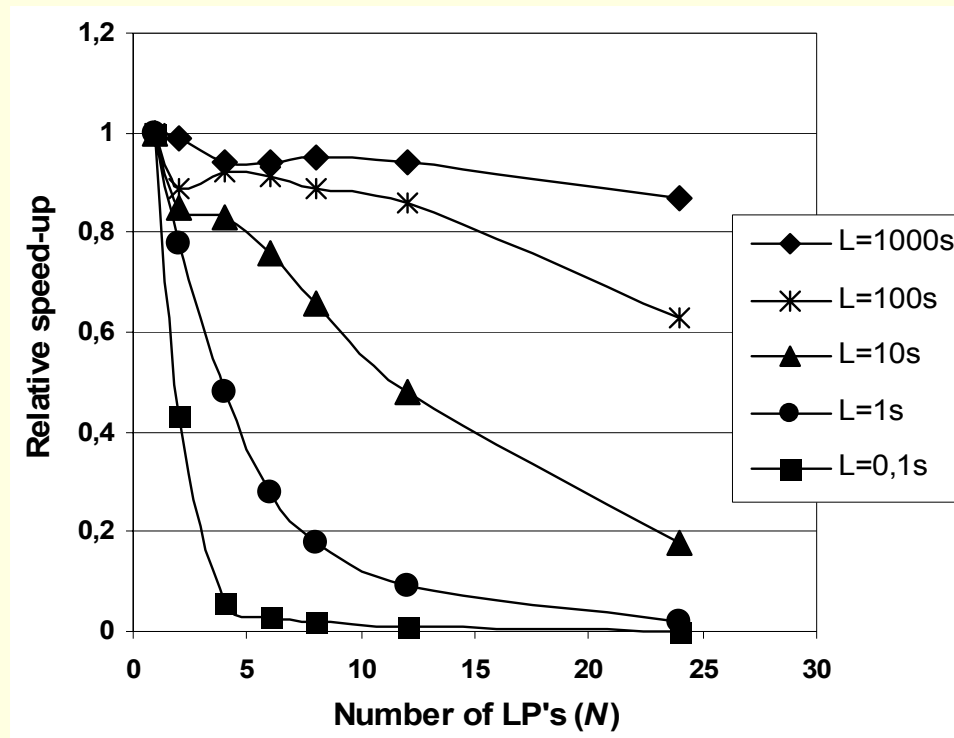
<i>L [simsec]</i>	0.1	1	10	100	1000
# events	138122606	138091806	137816386	134885378	102957082
exec. t.[sec]	524.18	521.36	523.09	516.54	415.73
<i>P [ev/sec]</i>	263502.24	264868.43	263465.92	261132.49	247653.72
<i>E [ev/simsec]</i>	159.86	159.83	159.51	156.12	119.16
meas.'d λ	2.43	24.14	242.17	2391.39	19246.76
$\lambda_0 * L / L_0$	2.50	25.00	250.00	2500.00	25000.00

Results for the Speed-up

- To fully explore the effect of the magnitude of λ on the available speed-up, we conducted a series of experiments for some values of L : $L=100\text{ms}$, 1s , 10s , 100s and 1000s .
- The results can be found in the proceedings.
- For further discussion, we use the value of the relative speed-up, that is the value of the speed-up divided by the number of CPUs used.

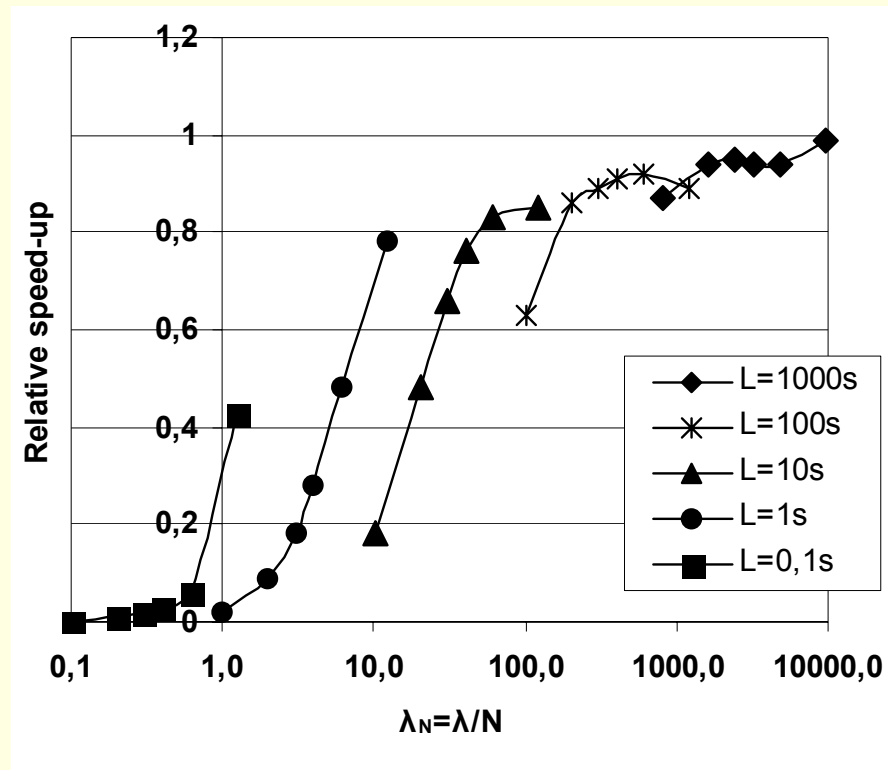
Results for the Relative Speed-up

- Relative Speed-up in the Function of N for $L=0.1s, 1s, 10s, 100s, 1000s$ Lookahead



Relative Speed-up in the Function of λ_N

- Relative Speed-up in the Function of λ_N for Different Values of L , and for $N=24, 12, 8, 6, 4, 2$



Summary

- We have used a closed queueing network as simulation model, and run it on up to 24 CPU cores.
- We have experimentally verified that a coupling factor of $\lambda \gg 1$ is a necessary precondition of getting a good speed-up with conservative parallel simulation.
- The 10..100 range of λ_N can provide an acceptable speed-up, and there is a high chance for a good speed-up if λ_N is above that range.
- The results confirm that with our model, a $\lambda_N = \lambda/N$ (N being the number of LPs) value near or below 1 practically prohibits good parallel performance.

Conclusion

- We conclude that the criterion for λ provides a quick and convenient way to determine whether it makes sense to experiment with parallelizing a particular simulation model or not, before actually investing work in the parallelization.
- We have tested this method and we have found that it works for even higher number of processors up to 24 CPU cores.